Classwork

* If work is being done at a constant rate by one person, and at a different constant rate by another person, both rates can be converted to their unit rates and then compared directly.
* “Work” can include jobs done in a certain time period, rates of running or swimming, etc.

Example 1: Fresh-Cut Grass

Suppose that on a Saturday morning you can cut lawns in hours, and your friend can cut lawns in hours. Who is cutting lawns at a faster rate?

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Example 2: Restaurant Advertising

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Example 3: Survival of the Fittest

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Example 4: Flying Fingers

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Lesson Summary

* Rate problems, including constant rate problems, always count or measure something happening per unit of time. The time is always in the denominator.
* Sometimes the units of time in the denominators of the rates being compared are not the same. One must be converted to the other before calculating the unit rate of each.

Problem Set

1. Who walks at a faster rate: someone who walks feet in seconds or someone who walks feet in seconds?
2. Who walks at a faster rate: someone who walks feet in seconds or someone who takes seconds to walk feet? Review the lesson summary before answering.
3. Which parachute has a slower decent: a red parachute that falls feet in seconds or a blue parachute that falls feet in seconds?
4. During the winter of 2012–2013, Buffalo, New York received inches of snow in hours. Oswego, New York received inches of snow over a -hour period. Which city had a heavier snowfall rate? Round your answers to the nearest hundredth.
5. A striped marlin can swim at a rate of miles per hour. Is this a faster or slower rate than a sailfish, which takes minutes to swim miles?
6. One math student, John, can solve math problems in minutes while another student, Juaquine, can solve the same math problems at a rate of problem per minutes. Who works faster?